

## Recipe for Success: 1-Sample Proportions Confidence Interval

1. Define parameter  $p_0$  (the population proportion) in context
2. Write the Conditions
  - Simple Random Sample
  - $n\hat{p} \geq 10$
  - $n\hat{q} \geq 10$
  - $n$  is less than 10% of the population  $\frac{n}{.1}$

3. Write the Equation

$$\hat{p} \pm z^* \sqrt{\frac{(\hat{p})(\hat{q})}{n}}$$

4. List the Values

$\hat{p} = \frac{x}{n}$  sample proportion of successes-those that met criteria

$\hat{q} = 1 - \hat{p}$  the sample proportion of failures

$z^*$ = the number of standard deviations a value is from the center

$x$  = the number of successes or measured outcomes of interest

$n$  = the size of the sample

5. Calculate  $z^*$

- 2<sup>nd</sup> Vars
- Inverse Norm
- Area =  $\frac{(1-\text{Confidence level})}{2}$
- $\mu = 0$  and  $\sigma = 1$

6. Plug in the values

7. Calculate the Interval

- Stat Tests
- 1-PropZInt
- $x$  comes from the problem or the data
- $n$  comes from the problem or the data
- **C-Level** Confidence level comes from the problem

8. Write the interval

9. Write the Conclusion

We are \_\_\_\_\_% confident that the true population proportion for \_\_\_\_\_ lies within the interval \_\_\_\_\_.

*Restate the definition of the  $p_0$*

10. Explain the meaning of the confidence level-if asked

In repeated sampling, we expect that this method will capture the true population proportion \_\_\_\_\_ percent of the time.

*Restate the Confidence Level*

## Recipe for Success: 1-Sample Proportions Hypothesis Test

### 1. Write the Hypothesis

- Null  $H_0: p_0 =$
- Alternative  $H_A: p_0 \neq$  or  $<$  or  $>$

### 2. Define parameter $p_0$ in context

### 3. Write the Conditions

- Simple Random Sample
- $n\hat{p} \geq 10$
- $n\hat{q} \geq 10$
- $n$  is less than 10% of the population  $\frac{n}{.1}$

### 4. Write the Equation

$$z = \frac{\hat{p} - p_0}{\sqrt{\frac{(p_0)(q_0)}{n}}}$$

$z$  = the number of standard deviations a value is from the center

$p_0$  = the population **proportion** or what is assumed to be true

$q_0 = 1 - p_0$  ( $q_0$  = the expected proportion of failures)

$n$  = the size of the sample

$x$  = the number of successes

$\hat{p} = \frac{x}{n}$  sample proportion of successes-those that met criteria

$\hat{q} = 1 - \hat{p}$  the sample proportion of failures

### 5. Draw the graph and Shade $H_A$

### 6. List & Label all of input values

- $p_0$  should be given
- $q_0 = 1 - p_0$
- $x$  = the number of successes from the sample
- $n$  = the sample size
- $\hat{p} = \frac{x}{n}$
- $\hat{q} = 1 - \hat{p}$

### 7. Plug values into the equation

### 8. Calculate the $z$ and the $p$ -value

- Stat Tests
- 1-proportion  $z$ -test
- $p_0$  comes from the problem
- $x$  comes from the problem or the data
- $n$  comes from the problem or the data
- Choose  $\neq$  or  $<$  or  $>$  (using Shaded graph of  $H_A$ )

### 9. State the Decision

- The  $p$ -value is \_\_\_\_\_
- If the  $p$ -value is less than alpha, Reject the Null
- If the  $p$ -value is greater than alpha, Fail to reject the Null

### 10. Write the Conclusion

Reject the Null: Our  $p$ -value is \_\_\_\_\_. We reject the Null. There is sufficient evidence at alpha = \_\_\_\_\_ to suggest that the true population proportion for \_\_\_\_\_

is \_\_\_\_\_ Restate the definition of the  $p_0$   
Restate  $H_A \neq$  or  $<$  or  $>$   $p_0$

Fail to Reject the Null: Our  $p$ -value is \_\_\_\_\_. We Fail to reject the Null. There is not sufficient evidence at alpha = \_\_\_\_\_ to suggest that the true population mean for \_\_\_\_\_

is \_\_\_\_\_ Restate the definition of the  $p_0$   
Restate  $H_A \neq$  or  $<$  or  $>$   $p_0$