

Recipe for Success: 2 Sample T-Confidence Intervals

1. Define μ_1 & μ_2 in context
2. Write the Conditions

1. Both samples are random
2. $n < 10\%$ of the population
3. Populations are independent
4. Normal Population or $n > 30$

If data is given, draw a boxplot or histogram-to show normality

3. Write the formula for the Test

$$\bar{x}_1 - \bar{x}_2 \pm t^* \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}$$

\bar{x}_1 & \bar{x}_2 = the means of the samples

s_1 & s_2 = the standard deviation of the sample

n_1 & n_2 = the size of the sample

4. Graph and Shade
5. Enter the Data if Given

- Stat Edit
- Enter Data in columns L_1 & L_2
- 2nd Quit
- Stat Calc
- 1-Var Stats L_1 : \bar{x}_1, s_1, n_1 and L_2 : \bar{x}_2, s_2, n_2

6. List & Label all of input values

$\bar{x}_1, s_1, n_1, \bar{x}_2, s_2, n_2, df$

df (comes from the calculator)

- Stat Tests
- 0:2-Samp T Int
- Highlight **Data** if data is used otherwise highlight **STATS**
- s_1 & s_2 comes from the problem or the data
- \bar{x}_1 & \bar{x}_2 comes from the problem or the data
- n_1 & n_2 comes from the problem or the data
- **pooled** highlight no

7. Calculate t^*

- 2nd Vars
- Inverse t
- Area = $\frac{(1-\text{Confidence level})}{2}$
- df (comes from the calculator in the step above)

8. Plug in the values

9. Write the interval

10. Write the Conclusion

We are _____% confident that the true population mean difference for _____

Restate the definition of the μ_1

and _____ lies within the interval _____

Restate the definition of the μ_2

11. Explain the meaning of the confidence level-if asked

In repeated sampling we expect this method to capture the true population mean difference

for _____ and _____% of the time

Restate the definition of the μ_1 *Restate the definition of the μ_2*

Recipe for Success: 2-Sample T Hypothesis Test (difference of Means)

1. Write the Hypothesis

- Null $H_0: \mu_1 = \mu_2$
- Alternative $H_A: \mu_1 \neq \mu_2$ or $\mu_1 < \mu_2$ or $\mu_1 > \mu_2$

2. Define μ_1 & μ_2 in context

3. Write the Conditions

1. Both samples are random
2. $n < 10\%$ of the population
3. Populations are independent
4. Normal Population or $n > 30$

If data is given, draw a boxplot or histogram-to show normality

4. Write the Equation

$$t = \frac{\bar{x}_1 - \bar{x}_2}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}}$$

t = the number of standard deviations from the mean

μ_1 & μ_2 = the means of the population (may be assumed)

\bar{x}_1 & \bar{x}_2 = the means of the samples

s_1 & s_2 = the standard deviation of the sample

n_1 & n_2 = the size of the sample

5. Enter Data (if given)

- Stat Edit
- Enter Data in columns L_1 & L_2
- 2nd Quit
- Stat Calc
- 1-Var Stats $L_1: \bar{x}_1, s_1, n_1$ and $L_2: \bar{x}_2, s_2, n_2$

6. List & Label all of input values

$\bar{x}_1, s_1, n_1, \bar{x}_2, s_2, n_2$

df (comes from the calculator)

- Stat Tests
- **4:** 2-SampTTest Enter
- Highlight **Data** if data is used otherwise highlight **STATS**
- s_1 & s_2 comes from the problem or the data
- \bar{x}_1 & \bar{x}_2 comes from the problem or the data
- n_1 & n_2 comes from the problem or the data
- **pooled** highlight no
- **Choose \neq or $<$ or $>$** (look for key words)

7. Plug values into the equation

8. Write the t and the p -value

The T and the p -value are calculated in step 5

9. State the Decision

- The p -value is _____
- compare to alpha: p -value ($<$ or $>$) **alpha**
- If the p -value is **less** than alpha, **Reject the Null**
- If the p -value is **greater** than alpha, **Fail to reject the Null**

10. Write the Conclusion

Reject the Null: Our p -value is _____. We reject the Null. There is sufficient evidence at

$\alpha =$ _____ to suggest that the difference in the true population mean for

_____ is _____
Restate the definition of the 1st mean *Restate $H_A \neq$ or $<$ or $>$ 2nd mean definition*

Fail to Reject the Null: Our p -value is _____. We Fail to reject the Null. There is not sufficient evidence at $\alpha =$ _____ to suggest that the difference in true population mean for

_____ is _____
Restate the definition of the 1st mean *Restate $H_A \neq$ or $<$ or $>$ 2nd mean definition*